# Pearson Edexcel 

Mark Scheme (Results)

November 2021

Pearson Edexcel GCSE
In Statistics (1ST0) Higher Tier
Paper 1H

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## General Marking Guidance

- All candidates must receive the same treatment. Examiners must mark the first candidate in exactly the same way as they mark the last.
- Mark schemes should be applied positively. Candidates must be rewarded for what they have shown they can do rather than penalised for omissions.
- Examiners should mark according to the mark scheme not according to their perception of where the grade boundaries may lie.
- There is no ceiling on achievement. All marks on the mark scheme should be used appropriately.
- All the marks on the mark scheme are designed to be awarded. Examiners should always award full marks if deserved, i.e. if the answer matches the mark scheme. Examiners should also be prepared to award zero marks if the candidate's response is not worthy of credit according to the mark scheme.
- Where some judgement is required, mark schemes will provide the principles by which marks will be awarded and exemplification may be limited.
- When examiners are in doubt regarding the application of the mark scheme to a candidate's response, the team leader must be consulted.
- Crossed out work should be marked UNLESS the candidate has replaced it with an alternative response.

| Question number | Answer | Additional guidance | Mark |
| :---: | :---: | :---: | :---: |
| 1(a) | B1 for one of <br> - Checks response rate <br> - See if questions are understood <br> - Makes sure questionnaire gets relevant answers <br> - Identifies likely responses <br> - Checks how long it will take |  | (1) |
| (b) | B1 e.g. 'not appropriate since a pilot test is small scale study' | B1 for not appropriate and correct supporting reason Condone reasons relating to time and cost. | (1) |
| (c) | B1 e.g. 'not a suitable suggestion since histograms require quantitative data' | B1 for not suitable and correct supporting reason (allow grouped data) <br> Accept 'qualitative data is not suitable for a histogram' | (1) |


| Question <br> number | Answer | Additional guidance | Mark |
| :--- | :--- | :--- | :--- |
| 2(a)(i) | M1 Reading off the graph at $0.75 \times 48(36)$ <br> A1 answer in the range 3200 to 3600 | M1 for reading off graph at 75\% <br> A1 for answer in range <br> Condone use of $n+1$ | (2) |
| (ii) | B1 e.g. '75\% of counties have an area of '3400' sq km or less' | B1 for correct interpretation in context | (1) |
| (b) | M1 Reading a cumulative frequency off graph at 2000 <br> M1 ' 19 ' $+24(=43)$ <br> A1 answer in the range $4400<k<4800$ | M1 may be implied by 19 identified. <br> M1 for adding 24 to their value <br> A1 for answer in range <br> Note: working may be seen on or next to <br> the graph | (3) |


| Question <br> number | Answer | Additional guidance | Mark |
| :--- | :--- | :--- | :--- |
| 3(a)(i) | B1 all of the students in John's school |  | (1) |
| (a)(ii) | B1 all of the (types of) films (in UK cinemas last year) | 'All' is required, but condone omission <br> in (a)(ii) if omitted in (a)(i). | (1) |
| (b) | B1 e.g. 'use a trusted website', 'use up-to-date / recent data' | B1 for a suitable suggestion <br> Accept 'use reliable website / reliable <br> source' | (1) |
| (c) | B1 Method A: e.g. 'each student may not have the same chance <br> of being selected' <br> B1 Method B: e.g. 'selecting at a particular time/place so not all <br> students have an equal chance of being selected' | B1 for any suitable reason as to why this <br> quota sampling method is not random <br> B1 for any suitable reason as to why this <br> opportunity sampling method is not <br> random | (2) |
| (d) | B2 Method A/quota sampling should be less biased since it is <br> more likely to be representative <br> (OR if B2 not scored <br> B1 Method A/quota sampling should be less biased with an <br> attempt at a reason) | B2 for Method A and identifying that <br> quota sample aims to represent the <br> characteristics of the population <br> (OR if B2 not scored <br> B1 for Method A and an attempt at a <br> supporting reason) | (2) |


| Question <br> number | Answer | Additional guidance | Mark |
| :--- | :--- | :--- | :--- |
| 4(a) | B1 2009 Quarter 3 | M1 correct equivalent calculation | (2) |
| (b) | M1 $\frac{456663}{444292} \times 100$ <br> A1 103 | A1 awrt 103 <br> A1 (£) 432296 (million) | M1 correct equivalent calculation <br> A1 awrt (£)432000 <br> (allow 432296.116, awrt 432 300) |
| (c) | M1 The index numbers are increasing / the GDP is increasing (in <br> 2010) <br> A1 therefore Marc is incorrect. | M1 for understanding that the index <br> numbers are increasing / GDP is <br> increasing <br> A1 correct assessment of Marc's <br> conclusion | (2) |
| (d) |  |  |  |


| Question <br> number | Answer | Additional guidance | Mark |
| :--- | :--- | :--- | :--- |
| 5(a) | B1 4 | B1B1 <br> • Lowest in the Quarter 1 (each year) <br> • Highest in Quarter 2 (each year) <br> - Downward from Q2 to Q4 (each year) <br> - Quarters 2 \& 3 are above the overall trend line (each year) / <br> quarters 1 \& 4 are below the overall trend line (each year) | For third bullet point accept 'downward <br> from Q2 to Q1' <br> Do not accept descriptions of overall <br> trend e.g. 'there is an upwards trend' |
| (b) | B1 4 <br> B1 since the data is quarterly/repeats every 4 quarters | B1 for not reliable and correct supporting <br> reason | (1) |
| (c) | B1 Not reliable due to extrapolation | (2) |  |
| (d) |  |  |  |


| Question <br> number | Answer | Additional guidance | Mark |
| :--- | :--- | :--- | :--- |
| $\mathbf{6 ( a )}$ | B1 events $A$ and $C$ <br> B1 they do not intersect | B1 for identifying the two events <br> B1 for correct supporting reason | (2) |
| (b) | B1 0.58 | Allow equivalent fraction or percentage | (1) |
| (c) | M1 $P(A$ or $C)=\mathrm{P}(A)+\mathrm{P}(C)$ or $(0.38+0.08)+(0.05+0.23)$ <br> A1 0.74 | M1 for correct expression <br> A1 allow equivalent fraction or <br> percentage | (2) |
| (d) | B1 0.08 and 0.38 placed correctly <br> B1 0.2 and 0.34 placed correctly |  | (2) |


| Question <br> number | Answer | Additional guidance | Mark |
| :--- | :--- | :--- | :--- |
| 7(a) | B1 can be used to compare relative frequencies (areas) rather than <br> just proportions | B1 for a suitable advantage of using <br> comparative pie charts | (1) |
| (b)(i) <br> (ii) | B1 2005 sector will have a bigger angle <br> B1 2018 sector will have a bigger area | Allow converse statements | (2) |
| (c) | M1 $\frac{\sqrt{12.5}}{\sqrt{8.3} \times 5}$ | M1 for a correct calculation | (2) |
|  | A1 $6.1(\mathrm{~cm})$ | A1 awrt 6.1 |  |


| Question number | Answer | Additional guidance | Mark |
| :---: | :---: | :---: | :---: |
| 8 | M1 IQR $=8.75-7.25(=1.5)$ <br> M1 $8.75+1.5 \times{ }^{\prime} 1.5$ ' $(=11) \quad$ or $7.25-1.5 \times{ }^{\prime} 1.5{ }^{\prime}(=5)$ <br> A1 11.5 is the only outlier <br> B1 A box with at least one whisker drawn <br> B1ft $5.15,7.25,8.05,8.75$ and upper tail at 10 or 11 or 11.5 all correct <br> B1 upper tail at 10 or 11 and single outlier plotted at 11.5 | M1 correct expression for IQR <br> M1 use of Q3 $+1.5 \times \mathrm{IQR}$ or $\mathrm{Q} 1-1.5 \times \mathrm{IQR}$ <br> A1 for identifying 11.5 as the only outlier May be seen on box plot <br> Ft their outlier limits | (6) |


| Question number | Answer | Additional guidance | Mark |
| :---: | :---: | :---: | :---: |
| 9 | M1 $2 \times 72+3 \times 84+5 \times 88(=836)$ <br> M1 $90 \times(2+3+5+8)(=1620)$ <br> M1 $\frac{1620-836}{8}$ <br> A1 Yes, it is possible (if he achieves 98 (or greater)). | M1 for using weighting with first 3 assignments <br> M1 for attempt at total score required <br> M1 for calculating score needed on final exam <br> A1 for correct conclusion from correct supporting working <br> Alternative: <br> M1 $2 \times 72+3 \times 84+5 \times 88(=836)$ <br> M1 ' 836 ' $+100 \times 8(=1636)$ <br> M1 $\frac{836+100 \times 8}{(2+3+5+8)}(=90.88 \ldots)$ <br> Alternative: <br> M1 $72 \times \frac{2}{18}+84 \times \frac{3}{18}+88 \times \frac{5}{18}(=46.44)$ <br> M1 $x \times \frac{8}{18}=90-{ }^{\prime} 46.44^{\prime}$ <br> M1 for correct method to solve for $x$ $x=\frac{18}{8} \times\left(90-{ }^{\prime} 46.44^{\prime}\right)$ | (4) |


| Question number | Answer | Additional guidance | Mark |
| :---: | :---: | :---: | :---: |
| 10(a) | Time <br> ranks $\boldsymbol{d}$ <br> (difference <br> in ranks) <br> 5 -4 <br> 2 0 <br> 7 -4 <br> $(1)$ 3 <br> 8 -3 <br> 6 0 <br> 4 3 <br> 3 5 <br> M1 <br> M1 $\quad \sum d^{2}=84$ <br> A1 $r_{s}=1-\frac{6 \times 84}{8\left(8^{2}-1\right)}=0$ <br> B1ft No correlation, so... <br> depB1ft Amelia's hypothesis is not supported | M1 at least 5 correct time ranks (may be implied by $2^{\text {nd }} \mathrm{M} 1$ ) <br> Allow if one rank misplaced but then subsequent ranks in correct order. <br> M1 attempt at calculating sum of $d^{2}$ for their ranks <br> A1 $r_{s}=0$ <br> B1ft for no correlation <br> ft their $r_{s}$ provided $-1 \leq r_{s} \leq 1$ <br> depB1ft not supported (dep on at least 1 previous M mark being scored and an attempt at identification of correlation) <br> allow follow through their value of $r_{s}$ | (5) |
| (b) | B1 e.g. 'collect more data', 'repeat 100 metre race more than once' | B1 for a suitable reason to improve the reliability of her results Condone 'collect primary data' | (1) |


| Question <br> number | Answer | Additional guidance | Mark |
| :--- | :--- | :--- | :--- |
| $\mathbf{1 1 ( a )}$ | B1 recognising that the standard deviation is 2 <br> M1 One warning line or action line <br> A1ft both warning lines correct $\pm 2 \sigma$ <br> A1ft both action lines correct $\pm 3$ <br> A1 correct scale | Allow ft on their identified standard <br> deviation | (5) |
| (b) | B1 not appropriate since the machine should be stopped/reset the <br> first time the action limit is exceeded | B1 for not appropriate and correct <br> supporting reason <br> Condone for 'first time' reference to <br> immediately / straight away | (1) |
| (c) | B1 Means will be the same/similar <br> B1Standard deviation of individual values will be greater <br> dB1 So conclusion not supportedB1 for assessment of means <br> B1 for assessment of standard deviations <br> dB1 for conclusion (dep on 2nd B1) | (3) |  |


| Question <br> number | Answer | Additional guidance | Mark |
| :--- | :--- | :--- | :--- |
| 12(a) | B1 Point circled at (15, 11000) | No other points circled | (1) |
| (b) | B1ft The value of this car is significantly higher than other cars <br> (around the same age) | B1 correct interpretation in context | (1) |
| (c)(i) <br> (ii) | B1 e.g. 'may be an error in the data', 'doesn't fit the trend' <br> B1 e.g. 'includes all data', 'genuine value' | B1 for a suitable appropriate reason for <br> not including the outlier <br> B1 for a suitable appropriate reason for <br> including the outlier | (2) |
| (d) | B2 closer to -1 (smaller/lower) <br> (B1 will still be negative) <br> B1 (since as age increases, value of car decreases but) not at a <br> constant rate / linear pattern |  | (3) |


| Question number | Answer | Additional guidance | Mark |
| :---: | :---: | :---: | :---: |
| 13(a) | B1 3.0 | B1 allow 3 | (1) |
| (b) | B1 55\% | B1 allow 0.55 | (1) |
| (c) | B1 distribution is symmetric |  | (1) |
| (d) | B1 distribution symmetric so $\frac{5.7+5.3}{2}=5.5$ <br> B1 ( $95 \%$ of data should fall between) $5.5 \pm 2 \times 0.75$ (from 4 to 7 ) <br> B1 $97.5 \%-2.5 \%=$ middle $95 \%$ <br> dB1 so claim is supported | B1 for using symmetry to identify the mean <br> Allow this B mark for demonstration that two appropriately chosen percentiles are equidistant from 5.5 e.g. $6.1-5.5=0.6$ and $5.5-4.9=0.6$ <br> B1 for use of mean $+/-2$ s.d. <br> Must show calculation using $2 \times 0.75$ not just 4 and 7 <br> B1 for comparing boundaries with data dB1 for identifying claim is supported (dep on $1^{\text {st }} \& 2^{\text {nd }} \mathrm{B} 1$ ) | (4) |

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