COORDINATE GEOMETRY

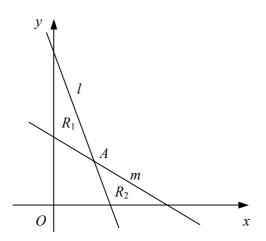
- The straight line *l* has gradient -3 and passes through the point with coordinates (3, -5).
 a Find an equation of the line *l*.
 - The straight line *m* passes through the points with coordinates (-1, -2) and (4, 1).
 - **b** Find the equation of *m* in the form ax + by + c = 0, where *a*, *b* and *c* are integers.

The lines *l* and *m* intersect at the point *P*.

- **c** Find the coordinates of *P*.
- 2 Given that the straight line passing through the points A (2, -3) and B (7, k) has gradient $\frac{3}{2}$,
 - **a** find the value of k,

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- **b** show that the perpendicular bisector of *AB* has the equation 8x + 12y 45 = 0.
- 3 The vertices of a triangle are the points A(5, 4), B(-5, 8) and C(1, 11).
 - **a** Find the equation of the straight line passing through A and B, giving your answer in the form ax + by + c = 0, where a, b and c are integers.
 - **b** Find the coordinates of the point *M*, the mid-point of *AC*.
 - **c** Show that *OM* is perpendicular to *AB*, where *O* is the origin.



The line *l* with equation 3x + y - 9 = 0 intersects the line *m* with equation 2x + 3y - 12 = 0 at the point *A* as shown in the diagram above.

a Find, as exact fractions, the coordinates of the point *A*.

The region R_1 is bounded by l, m and the y-axis.

The region R_2 is bounded by l, m and the x-axis.

b Show that the ratio of the area of R_1 to the area of R_2 is 25 : 18

5

4

The straight line *l* has the equation 2x + 5y + 10 = 0.

The straight line *m* has the equation 6x - 5y - 30 = 0.

a Sketch the lines *l* and *m* on the same set of axes showing the coordinates of any points at which each line crosses the coordinate axes.

The points where line *m* crosses the coordinate axes are denoted by *A* and *B*.

b Show that *l* passes through the mid-point of *AB*.

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6 The straight line *l* passes through the points with coordinates (-10, -4) and (5, 4).

a Find the equation of *l* in the form ax + by + c = 0, where *a*, *b* and *c* are integers. The line *l* crosses the coordinate axes at the points *P* and *Q*.

- **b** Find, as an exact fraction, the area of triangle *OPQ*, where *O* is the origin.
- **c** Show that the length of PQ is $2\frac{5}{6}$.

7 The point A has coordinates (-8, 1) and the point B has coordinates (-4, -5).

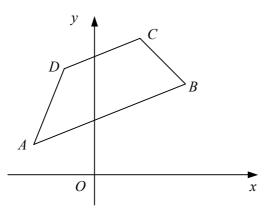
- **a** Find the equation of the straight line passing through A and B, giving your answer in the form ax + by + c = 0, where a, b and c are integers.
- **b** Show that the distance of the mid-point of *AB* from the origin is $k\sqrt{10}$ where *k* is an integer to be found.

8 The straight line l_1 has gradient $\frac{1}{3}$ and passes through the point with coordinates (-3, 4).

a Find the equation of l_1 in the form ax + by + c = 0, where *a*, *b* and *c* are integers. The straight line l_2 has the equation 5x + py - 2 = 0 and intersects l_1 at the point with coordinates (q, 7).

b Find the values of the constants *p* and *q*.





The diagram shows trapezium *ABCD* in which sides *AB* and *DC* are parallel. The point *A* has coordinates (-4, 2) and the point *B* has coordinates (6, 6).

a Find the equation of the straight line passing through A and B, giving your answer in the form ax + by + c = 0, where a, b and c are integers.

Given that the gradient of BC is -1,

b find an equation of the straight line passing through *B* and *C*.

- Given also that the point D has coordinates (-2, 7),
- **c** find the coordinates of the point *C*,
- **d** show that $\angle ACB = 90^{\circ}$.

10 The straight line *l* passes through the points *A* (1, $2\sqrt{3}$) and *B* ($\sqrt{3}$, 6).

- **a** Find the gradient of *l* in its simplest form.
- **b** Show that *l* also passes through the origin.
- c Show that the straight line which passes through A and is perpendicular to l has equation

$$x + 2\sqrt{3} y - 13 = 0.$$